

Name of the Student: _____

Max. Marks : 16 Marks

Time : 16 Minutes

Mark Schemes

Q1.

- (a)
- $[H_2O]$
- is (almost) constant

Allow $[H_2O]$ is (very) large in comparison (to $[H^+]$ and $[OH^-]$)**or** $[H_2O]$ is incorporated in K_w **or** $K_w = K_d[H_2O]$ **or** the equilibrium lies very much to the left.**Ignore** water has negligible dissociation**Ignore** $[H_2O] = 1$ or $[H_2O]$ is very small 1

1

- (b) M1 Equilibrium is endothermic (in forward direction)

1

M2 Equilibrium shifts to the RHS to minimise/oppose temperature increase**Ignore** more H^+ and OH^- formed

1

- (c) M1
- $pH = -\log_{10}[H^+]$

M1 Allow $pH = -\log[H^+]$

1

M2 $[H^+] = \sqrt{5.48 \times 10^{-14}} (= 2.34 \times 10^{-7})$ M2 $[H^+]^2 = 5.48 \times 10^{-14}$

1

M3 $pH = -\log_{10} 2.34 \times 10^{-7} = 6.63$ M3 $pH = -\log_{10} M2$

1

M4 $[H^+] = [OH^-]$ **or**Dissociation of each water molecule gives one H^+ and one OH^- M4 Allow equal amounts of H^+ and OH^-

1

- (d) 5.55

Allow 5.5 to 5.6

1

- (e) Different solutions must not contaminate each other

 pH of previous solution doesn't contaminate new solution

or

To wash off any residual solution/substance (which could interfere with the reading)

Ignore to make neutral/neutralise

Ignore so as not to affect concentrations

1

- (f) To avoid missing the end point

Or

(Very little pH change per cm^3 added at start) large change in pH (near end point)

1

- (g) All have a colour change/pH range within the steep/vertical part of the titration curve

Colour change/pH range between pH 3 and 11

1

- (h) M1 Amount of $\text{OH}^- = 36.25 \times 0.200 \div 1000 = 7.25 \times 10^{-3} \text{ mol}$ **and** Amount of $\text{H}^+ = 25.0 \times 0.150 \div 1000 = 3.75 \times 10^{-3} \text{ mol}$

1

M2 Amount of excess $\text{OH}^- = 7.25 \times 10^{-3} - 3.75 \times 10^{-3} = 3.50 \times 10^{-3} \text{ mol}$

1

M3 $[\text{OH}^-] = (3.50 \times 10^{-3}) \div (61.25 \times 10^{-3}) (= 5.71 \times 10^{-2} \text{ mol})$

M3 $[\text{OH}^-] = (M2) \div (61.25 \times 10^{-3})$

1

M4 $[\text{H}^+] = \frac{1.00 \times 10^{-14}}{5.71 \times 10^{-2}} = 1.75 \times 10^{-13}$

M4 $[\text{H}^+] = 1.00 \times 10^{-14} \div M3$

1

M5 pH = 12.76

M5 Allow pH = 12.8

M5 pH = $-\log_{10}(M4)$

Alternative Method

M4 p OH = 1.24

M5 pH = $14 - 1.24 = 12.76$

1

[16]